Subject: Re: counting bits Posted by JD Smith on Tue, 18 Feb 2003 19:56:50 GMT View Forum Message <> Reply to Message

On Mon, 17 Feb 2003 21:45:42 -0700, Craig Markwardt wrote:

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> JD Smith <jdsmith@as.arizona.edu> writes:
>>
>> For a 2048x2048 array of random long integers, this is 4-6 times as
>> fast as a more traditional shift method, like the one David suggests.
>> And here's an ultra-bizzarre one, which requires no look-up table, but
>> holds its own against the LUT method (note the original array is
>> destroyed):
>>
>> arr = ishft(arr AND 'AAAAAAAA'XUL,-1) + (arr AND '55555555'XUL) arr =
>> ishft(arr AND 'CCCCCCC'XUL,-2) + (arr AND '33333333'XUL) arr =
>> ishft(arr AND 'F0F0F0F0'XUL,-4) + (arr AND '0F0F0F0F'XUL) arr =
>> ishft(arr AND 'FF00FF00'XUL,-8) + (arr AND '00FF00FF'XUL) arr =
>> ishft(arr AND 'FFFF0000'XUL,-16) + (arr AND '0000FFFF'XUL)
>> tot=ulong(total(arr))
>>
>> See if you can figure that one out ;).
>
> Very wicked!
>
  Okay, here's a problem I've always solved by the brute force method:
  * what is the lowest / highest bit position set in an integer?
>
>
> For example, a the lowest bit position in the binary number 11010100 is
> 2 (bit positions are labeled starting with 0 of course). The brute
> force method involves testing each bit in succession using something
> like (VALUE AND 2L^I) for each I, until a set bit is found.
>
Here's a reasonably fast implementation of your proposed method for
arrays of unsigned longs, to count the highest bit (or rather, the
number of leading 0 bits).
function leading_zeroes_reg,num
 num=[num]
 zeroes=make_array(/BYTE,DIMENSION=size(num,/DIMENSIONS),VALU E=255b)
 for i=0,31 do begin
  shft=ishft(num,-(31-i)) AND 1
  zeroes=(zeroes ne 255b)*zeroes+(zeroes eg 255b)* $
       ((shft eq 1)*i+(shft ne 1)*255b)
```

```
endfor return, (zeroes eq 255b)*32+(zeroes ne 255b)*zeroes end
```

And here's an even stranger magical incantation than for bit counting which also does the job:

It's about 14 times faster than the pedantic approach, and destroys the array.

What's scary is that somebody must sit around coming up with this stuff. I leave as an exercise the logical inversion required to calculate trailing zeroes.

JD

P.S. Don't try these on signed integers.