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Subject: Re: can you easily make "test" data volumes with simple shapes?

Posted by [K. Bowman](#) on Tue, 22 Jul 2003 13:09:29 GMT

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In article <3f1c92c1\$1\_3@news.utk.edu>,

"Jeff Nettles" <jnettle1@utk.edu> wrote:

> Hi folks,  
>  
> I'm working with some CT data of meteorites, and have been measuring shapes  
> of objects in the CT volume. The objects are basically spheroids, with  
> varying degrees of irregularity, both in surface roughness and sphericity.  
>  
> I've taken a bunch of random slices through one of the objects, and made  
> some measurements of those slices (the slices are supposed to mimic what  
> you'd see on a microscope slide). So i have, for example, histograms of the  
> area and perimeters of those objects. Now what i'd like to do is to take a  
> bunch of random slices through a perfectly spherical object, and slices  
> through a very irregular object, and see how the histograms differ.  
>  
> So what i'd like to do is create a data volume that contains a perfect  
> sphere, with brightness values of >1 in the sphere and = 0 outside the  
> sphere. Then make a very irregular one. I know i can do this the long and  
> hard way by making a series of images of circles with increasing and then  
> decreasing diameters, but if there's an easier way i'd sure like to do it  
> that way. So if anyone knows of a short cut that gets me around a long day  
> of use of either photoshop or illustrator or both, i'd love to hear it. Or  
> better still, if anyone has some data like this already and is willing to  
> share it, why that'd be perfect!! :D  
>  
> Thanks so much for your time and hopefully your help,  
> Jeff  
>  
>

You can calculate the histogram of the slices through perfect spheres analytically. Assuming that you slice through the sphere randomly, the distance from the center of the sphere is a uniformly-distributed random variable, say  $x$ . From the Pythagorean theorem the radius of the resulting circular slice is just  $y = \sqrt{r^2 - x^2}$ , where  $r$  is the radius of the sphere. Given a distribution of the sphere sizes,  $r$ , you can find the distribution of the circumferences and areas of the slices.

For the irregular objects, you will have to make some assumptions about how to make them irregular. A fairly general approach would be to assume that the radius of the slice as a function of polar angle is given by a Fourier series,  $r(\theta) = \sum_i [a(i)\cos(\theta) + b(i)\sin(\theta)]$ , where  $a$  and  $b$  are random variables chosen from a

particular distribution (e.g., uniform, etc.). Generate a and b using RANDOMU (for example), compute the boundary curve using a small delta-theta, sum the segment lengths to get the perimeter, then compute the area of the polygon

$$A = (1/2)*((x1-x2)(y1-y2) + (x2-x3)(y2-y3) + \dots + (xn-x1)(yn-y1))$$

Regards, Ken Bowman

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