
Subject: Re: Positions in 3-d

Posted by [K. Bowman](#) on Mon, 02 May 2005 17:38:58 GMT

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In article <1115049911.382768.8960@o13g2000cwo.googlegroups.com>, panblosky@gmail.com wrote:

> Thanks for your help Ken. It didn't occur to me to use histogram...
> But now I have another question: using histogram (and
> reverse_indices) tells me in which bin the x (or y or z) coordinate
> would be (and how many x-points are in the bin), but how do I know
> where the point (x,y,z) lies? I mean, if my cube goes from 0 to 1, and
> I have 4 bins (it could be more) in each dimension (so I would have 64
> sub-cubes in 3-D), how can I tell, in a fast way, in which sub-cube
> does the point (x,y,z) lies and how many points are in that sub-cube?
> Maybe there is an easy answer, but I haven't been able to do it...
> Thanks,
>
> Pablo

Assume you have a 3-D space that you divide into a regular grid of $n_x \times n_y \times n_z$ boxes. The coordinates of the space range from $[x_{\min}, x_{\max}]$, $[y_{\min}, y_{\max}]$, $[z_{\min}, z_{\max}]$. The box sizes for each dimension are $dx = (x_{\max} - x_{\min}) / (n_x - 1)$,
...

You have N points with coordinates (x, y, z) , and you want to know within which box each point lies.

For the x-dimension, for example, the index of the grid box containing a point is

```
i = LONG(dx*(x - xmin))
j = LONG(dy*(y - ymin))
k = LONG(dz*(z - zmin))
```

The trick is to index the 3-D grid of boxes with a 1-D index:

$$m = i + (j \cdot n_x) + (k \cdot n_x \cdot n_y)$$

The index m ranges from 0 to $(n_x \cdot n_y \cdot n_z) - 1$. Use HISTOGRAM and REVERSE_INDICES on the array of m 's (BINSIZE = 1, MIN = 0, NBINS = $n_x \cdot n_y \cdot n_z$). There will be one m for each point. Histogram will tell you how many points in each box, and reverse indices tells you which points.

You can use the ARRAY_INDICES function to convert from m back to (i, j, k) .

Ken Bowman
