
Subject: Re: zero-padding an array of arbitrary dimensionality (replacing execute in vm)

Posted by [JD Smith](#) on Fri, 20 Jul 2007 02:14:15 GMT

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On Thu, 19 Jul 2007 08:51:58 -0700, hradilv wrote:

> I would like to zero-pad an array programmatically without knowing in
> advance what the dimensionality is of the array.
>

Position [1,1,1,...] can be expressed in 1D as:

```
ind=total(product((size(data,/dimensions))[0:1],/CUMULATIVE,/PRESERVE_TYPE),$  
            /PRESERVE_TYPE) + 1
```

Some other arbitrary position p=[p0,p1,p2,...,pn] can also be expressed:

```
d=shift(product(size(data,/dimensions),/CUMULATIVE,/PRESERVE_TYPE),1)  
d[0]=1  
ind_p=total(p*d,/PRESERVE_TYPE)
```

Note that this is the `_one-dimensional_` position within the array, so it can be used to access an arbitrary element without resorting to EXECUTE.

That said, assigning an array of greater than one dimension to this position will **not** do what you intend. Only when using an explicit list of indices on the left-hand side of an assignment (e.g. `array[x,y,z,...]=sub_array`) will IDL invoke the rules to preserve the structure of the inserted array. If a "one-dimensional" offset index is used, only the first dimension will be preserved in this way, and the rest will be silently ignored. Whatever to do?

To solve this, you need instead to calculate the indices of the full sub-array itself, offset within the larger target array at starting position p=[p0,p1,p2,...,pn]. This is a more general problem than zero padding. Essentially you are computing an array of indices of an arbitrarily sized rectangular (cube, hyper-cubic, etc.) "chunk" within a larger array, of a given size and offset. This is a bit more complicated than the above, but conceptually similar:

```
;; Compute indices of the "chunk"  
ss=size(sub_array,/DIMENSIONS)  
l=lindgen(ss)  
inds=make_array(VALUE=p[0],ss)  
d=product(size(data,/dimensions),/CUMULATIVE,/PRESERVE_TYPE)  
ds=product(ss,/CUMULATIVE,/PRESERVE_TYPE)  
for i=n_elements(d)-2,0,-1 do begin
```

```
inds+=(p[i+1]+l/ds[i])*d[i]
l-=l/ds[i]*ds[i]
endfor
inds+=l
```

```
:: Apply them
data[inds]=sub_array
```

This is essentially the calculation IDL does for you when you use the subscripted assignment of unlike arrays. Too bad it doesn't expose that functionality via some function. You might like to check first that the sub-array can actually fit within the larger array, and warn or truncate if not (for your case of padding with zeroes, this isn't a problem).

For those interested, this method works on the highest dimension downward, (e.g. z, y, x in the 3D case), removing that dimension's signature after it has been applied. E.g. a z position of 4 in the sub_array, inserted at a z offset offset of 2, should have 6*(nx*ny) added. It also demonstrates the trick HIST_ND uses to accomplish a very similar task.

JD
