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Subject: Re: regress question

Posted by [Wout De Nolf](#) on Mon, 01 Dec 2008 08:38:36 GMT

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On Sun, 30 Nov 2008 23:42:38 -0800 (PST), James McCreight  
<mccreigh@gmail.com> wrote:

```
> I have some vague recollection of doing this once within an IDL
> function. A quick look turned up this, looks promising and like
> something i've seen before:
>
> Curvefit( X, Y, Weights, A [, Sigma] [, CHISQ=variable] [, /DOUBLE] [,
> FITA=vector] [, FUNCTION_NAME=string] [, ITER=variable] [,
> ITMAX=value] [, /NODERIVATIVE] [, STATUS={0 | 1 | 2}] [, TOL=value] [,
> YERROR=variable] )
> A
> A vector with as many elements as the number of terms in the user-
> supplied function, containing the initial estimate for each parameter.
> On return, the vector A contains the fitted model parameters.
>
> FITA
> Set this keyword to a vector, with as many elements as A, which
> contains a zero for each fixed parameter, and a non-zero value for
> elements of A to fit. If not supplied, all parameters are taken to be
> non-fixed.
```

Why using a non-linear least squares fitting algorithm for a linear problem? Fixing parameters is not all that difficult using the linear algorithms (i.e. orthogonal decomposition methods like SVD), although you have to do it yourself.

Suppose  $y = a.x_1 + b.x_2 + c$  then you find the least squares solution by (X1 and X2 column vectors)

```
SVDC, [X1,X2,replicate(1,1,n_elements(X1))], W, U, V
result=SVSOL(U, W, V, Y) ; gives LSSol. [a,b,c]
```

Suppose I want to fix  $b=3$  then you would do this

```
SVDC, [X1,replicate(1,1,n_elements(X1))], W, U, V
result=SVSOL(U, W, V, Y-3*X2); gives LSSol. [a,c]
```

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