
Subject: Re: Simple MODULO question.

Posted by [Peter Mason](#) on Wed, 03 Jul 1996 07:00:00 GMT

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On 2 Jul 1996, S. Penzes wrote:

- > Why does `print,1.0 mod 0.25` return 0.00000 (as expected)
- > generally `1.0 mod (1.0/2^n)` returns 0
- > while `print,1.0 mod 0.2`
- > or `print,1.0 mod (1.0/5.0)` return 0.200000
- > generally `1.0 mod (1.0 / n)`
- >
- > In case you're wondering, I am trying to determine if:
- > for `x mod y` whether `x` is an integer multiple of `y`.

I guess you're experiencing one of the pitfalls of working with floating-point numbers - they're not necessarily exact.

I'd have to hazard a guess at exactly what's happening in this example:

- . In the first case with `1.0 mod 0.25`, both 1.0 and 0.25 ($= 1/8$) can be represented exactly in floating-point, and so 0.25 divides an integral number of times into 1.0 and the mod (remainder) is 0.
- . In the second case with `1.0 mod 0.2`, although 0.2 looks like a simple, exact number in base 10, it is a bit of a headache in base 2 and can't be represented exactly - rather like $1/3$ in base 10. My guess is that its floating-point representation is fractionally larger than 0.2, and so `1.0 / "0.2"` is fractionally less than 5. So `1.0 mod "0.2" = 5.0 - 4 * "0.2"`, which is fractionally less than 0.2. You can get a hint that there's a problem with: `PRINT,1.0D/0.2`. The result printed is 4.9999999. (This is a fluke of the print formatting, I think - both `1.0/0.2` and `1.0D/0.2D` return 5!)

I think that you might have to use a steam-driven method for your test:

Instead of testing `((x mod y) eq 0.0)`, test:

`(abs(x - y*round(x/y)) lt some_small_tolerance)`
or such.

Peter Mason
