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Subject: Re: match\_2d

Posted by [Jeremy Bailin](#) on Thu, 30 Apr 2009 00:00:30 GMT

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On Apr 29, 7:30 pm, Jeremy Bailin <astroco...@gmail.com> wrote:

> On Apr 29, 4:29 pm, JDS <jdtsmith.nos...@yahoo.com> wrote:

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>> On Apr 28, 10:44 pm, Jeremy Bailin <astroco...@gmail.com> wrote:

>

>>> On Apr 27, 3:06 pm, JDS <jdtsmith.nos...@yahoo.com> wrote:

>

>>>> > I'm pretty sure there's a HIST\_ND-based algorithm of doing this

>>>> > similar to MATCH\_2D but taking spherical trig into account, but I

>>>> > don't have the patience to figure it out.

>

>>>> That would be challenging for the whole sphere, since histogram can  
>>>> only evaluate monotonic coordinate fields. You can always first remap  
>>>> your coordinates using some projection which puts the ill-behaved  
>>>> parts (nominally, the poles) far away, and preserves distance  
>>>> locally. For example, if you have a small field (a degree or so) near  
>>>> the pole, this would be a nice way of solving the converging longitude  
>>>> lines issues. But generally? Sounds tough.

>

>>>> JD

>

>>> How about if it was done in 3D? Instead of 2D angular coordinates, use  
>>> the 3D coordinates of the relevant points on the surface of a unit  
>>> sphere, and then use HIST\_ND to determine which 3D bin the points are  
>>> in and build the algorithm analogously to MATCH\_2D?

>

>>> The main problem I see is that, for small bin sizes (ie. small desired  
>>> angular separations), there's a lot of wasted memory storing the  
>>> histogram in locations that don't lie on the surface of the sphere and  
>>> therefore are necessarily zero. But maybe there's a way of enumerating  
>>> the bins that do contain part of the surface - if so, then you could  
>>> use that enumeration to map the 3D positions into a simple number that  
>>> you can run HISTOGRAM on.

>

>> I thought of that and rejected it for the reason you mention. The  
>> vast majority of memory would be devoted to empty volume, and as the  
>> resolution grew, the fraction of wasted memory would grow as well.  
>> The mapping you describe to do away with the empty space is equivalent  
>> to spherical projection, for which there is no unique mapping for the  
>> whole sphere. One possibility would be to project iteratively,  
>> forming low distortion projections over the sphere to push the poles  
>> off out of the way, matching against a subset of the data, rotate the

>> projection, repeat. Some heuristic for deciding which projection, how  
>> large, and where to center it, would be needed.  
>  
>> At some point, it would become simpler to use pattern matching via  
>> Delauney triangulation or other patterns formed from the target list.  
>  
>> JD  
>  
> One idea to at least limit the amount of wasted memory is to use a  
> larger grid spacing than absolutely required - the match\_2d algorithm  
> needs grid spacings that are no smaller than 2x the desired  
> separation, but I think it should work fine if the spacing is  
> larger... the drawback would be that you need to calculate the correct  
> angular distance for a larger number of particles than strictly  
> necessary, but that would be a worthwhile tradeoff at some point.  
>  
> But I think that there should be an enumeration mapping solution.  
> There certainly exists an enumeration for any grid size... I can  
> generate one by placing points randomly on the surface of the sphere,  
> calculating the 3D histogram, and then getting a list of which cells  
> contain points - the enumeration is then simply be the ordinal of the  
> cell within the list. But that's a stupid solution in this case,  
> because the entire point is to avoid calculating the full 3D  
> histogram. Still, the fact that an enumeration is possible makes me  
> think that it should be possible to generate it from first principles  
> rather than empirically. :-)=  
>  
> -Jeremy.

Now that I think about it, you can use the random points directly to  
get the grid cells without going via the histogram - just calculate  
the bin each one would fall into, and UNIQ them. You just need to  
generate enough points that you're virtually guaranteed to get a hit  
in each bin. You could guarantee it by also including every neighbour  
of any grid cell that contains a point - that way even a cell that  
only has a sliver of surface pass through it and therefore does not  
contain a point will get into the list.

Hmmm... okay, I'm going to code that up and see if it works.

-Jeremy.

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