
Subject: Re: CHISQR_CVF question.

Posted by [R.G. Stockwell](#) on Thu, 20 Aug 2009 16:53:00 GMT

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"Craig Markwardt" <craig.markwardt@gmail.com> wrote in message
news:cab41ca6-e1a4-4f73-851f-8b25ab0c1e58@k26g2000vbp.google groups.com...

On Aug 19, 4:42 pm, "R.G. Stockwell" <noemai...@please.com> wrote:

> "Paolo" <pgri...@gmail.com> wrote in message

>

> basically yes, $\text{abs}(\text{fft}(\text{ts}))^2$, and comparing it to chisquare from the

> IDL functions.

> I have worked on it, but I think the result is off by a factor of 2.

> That is a factor of 2 too stringent.

>

...

> Perhaps you can check my understanding. If we have a 95% significance

> level,

> then if we make a spectrum with 1000 points, shouldnt 50 of them be above

> that 95% line?

Let's say we have a time series, defined like this,

LC = time series values (array)

ERR = measurement uncertainty (array) of each LC point.

I define the power spectrum in the following way,

POW = $\text{ABS}(\text{FFT}(\text{LC}, +1))^2 * (2 / \text{TOTAL}(\text{ERR}^2))$

Craig, Sorry but I am a bit confused here.

using the +1 direction is the "inverse" FFT here isn't it?

and hence it lacks the 1/N normalization that occurs on the "forward" FFT.

Is that right?

Also, $\text{total}(\text{err}^2)$ happens to be equal to the length here, so it looks like
you are doing an inverse FFT 2 , and then dividing by len.

BUT, that is the same as doing the forward FFT (with 1/N), squaring it, then
multiplying
by len.

So, it almost looks like this just happens to be by coincidence the same as
 $\text{pow} = \text{fft}(\text{lc}, \text{/forward}) * \text{length}$

And you have a factor of 2, which is coincidentally also the power of your
spectrum. and it appears that again this may have just coincidentally
cancelled out.

basically, I am starting with a normalization of the spectrum as:

```
d = 120*randomn(seed,len)
spe = fft(d)
pspe = abs(spe[0:len/2-1])^2
```

```
; normalize wrt length and variance, so we always get the same result
pspe = pspe*(len)
pspe = pspe/stddev(d)^2
```

with this normalization, the mean of my spectrum is always the same.
(as i vary the length of the time series, and as i vary the standard
deviation,
above i have a stdev of 120).

Are you saying that there should be a factor of 2 in my power spectrum,
i.e. I need a final line that states $pspe = pspe*2$?
Because, when I do this, I do get the expected result. By expected I mean I
calculate the number of points above the cutoff level (90%) and I find
approximately
10% above, 90% below. ditto 95%, 99%.

But, I want to justify that factor of 2.

cheers,
bob
