## Subject: Re: Accelerating a one-line program doing matrix multiplication Posted by on Thu, 30 Sep 2010 08:39:59 GMT

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On Sep 29, 6:57 pm, Karl <karl.w.schu...@gmail.com> wrote:
> On Sep 29, 10:05 am, Paolo <pgri...@gmail.com> wrote:
>
>
>> On Sep 29, 11:55 am, Axel M <axe...@gmail.com> wrote:
>
>>> On 29 Sep., 17:45, Paulo Penteado <pp.pente...@gmail.com> wrote:
>>> On Sep 29, 12:24 pm, Axel M <axe...@gmail.com> wrote:
>>> > Great, I did not know about this construction, and honestly I do not
>>>> understand how it works (is there any documentation about it?).
>>> > Anyways, I tried it, and unfortunately I saw that it needed ~20%
>>> > longer (the complete function, not the rebin only). So, it is not
>>> > faster.. but it is great though.
>>>> It is replicating a structure of a single field which contains the
>>> array input ({temp:input}), then selecting only a single field (the
>>> first, 0) of the resulting structure array. Documentation for this
>>>> would be on creation and use of structures.
>
>>> Ok, I got it. Thanks! Then probably it is the memory allocation for
>>> the array of structures which takes so long... it would be great if
>>> the ITT people would develop a fast vector replicate, I fear
>>> rebinning is not the best option.
>>> In any case, based on the answers, I assume that my problem is rather
>>> on the matrix multiplication part, so I can probably do nothing for
>>> that.
>
>>> Thanks a lot
>> well considering your original problem - you need to apply
>> a linear transformation to N vectors v_i=(x_i,y_i,z_i),
>> for i going from 0 to a large N, right?
>
>> I would just explicitely compute the transformed vectors
>> z_i=(xx_i,yy_i,zz_i)
>> by just writing out in the program the computation for every
>> component,
>> i.e.
```

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>
>> xx=x*c1+y*c2+z*c3+c4
>> and same for yy,zz with appropriate constant coefficients c1,c2,c3,c4
>> (that are the same for all i).
>> But then maybe i misunderstood the problem...
>> Ciao.
>> Paolo
>
  Yeah, I think you are right.
>
  Another way to see it:
>
>
  FUNCTION vc2rc, v0,v1,v2,v3,vc
>
       xform = [[v1],[v2],[v3]]
       n = <number of points in vc>
>
       for i=0, n-1
>
          temp = vc[*,i]
>
          temp = temp # xform + v0
>
          vc[*,i] = temp
>
       end
>
 END
>
  This assumes that you can change vc itself and that v0 is a 3-vector.
> In this case, there is only one copy of the point array, as it is
> being transformed in place. In other schemes, there may have been as
> many as three or four copies. If it is not OK to change vc, then this
> function would have to make a vr array of the same shape as vc and
> return it. But it is still the best solution as far as memory goes.
> Yeah, the for loop is going to be slow, but a test will tell if it is
> faster than other approaches. If the program causes paging to disk
> with the original approach, then the for loop may be faster. If speed
> is really, really important, then the above can be implemented in a C
> DLM.
> And yes, the three lines with "temp" can be collapsed into one, but
> IDL will make small temps anyway here and so a single line may not be
> much faster. I left it as three lines for clarity.
Hi,
```

Thanks for the idea. I tried it, below is the function code (original and "accelerated" with your idea) and the test code. By explicitly applying the linear transformation (\_accel version) within a loop it took 15 times longer... I guess IDL does this better with the # operator.

I still think I can most definitely gain time by using the fact that vc represents just all indexes of an array, but I have to find out how to exploit this property...

```
FUNCTION vc2rc, v0,v1,v2,v3,vc
RETURN, [[v1],[v2],[v3]] # vc + REBIN(v0, SIZE(vc, /DIMENSIONS))
END
FUNCTION vc2rc accel, v0,v1,v2,v3,vc
npoints = (SIZE(vc, /DIMENSIONS))[1]
for i=0L. npoints-1 DO BEGIN
vc[*,i] = vc[0,i] * v1 + vc[1,i] * v2 + vc[2,i] * v3 + v0
endfor
RETURN, vc
END
PRO testspeed
dims = [100, 100, 100]
    i = LINDGEN(LONG(dims[0])*dims[1]*dims[2]);image dimensions
    vc = TRANSPOSE([[(i MOD dims[0])], [((i / dims[0]) MOD
(dims[1]))], [(i / (dims[0] * dims[1]))]])
v0=[5,5,5]; origin
v1=[1.0,0,0]; vectors
v2=[0,1.0,0]
v3=[0,0,2.0]
t0 = SYSTIME(/SECONDS)
rc = vc2rc \ accel(v0,v1,v2,v3,vc)
rc = 0 \& vc = TRANSPOSE([[(i MOD dims[0])], [((i / dims[0]) MOD])])
(dims[1]))], [(i / (dims[0] * dims[1]))]])
rc = vc2rc \ accel(v0,v1,v2,v3,vc)
print, 'Time: ', STRING(SYSTIME(/SECONDS) - t0)
rc = 0 \& vc = TRANSPOSE([[(i MOD dims[0])], [((i / dims[0]) MOD])])
(dims[1]))], [(i / (dims[0] * dims[1]))]])
t0 = SYSTIME(/SECONDS)
rc = vc2rc(v0,v1,v2,v3,vc)
rc = 0 \& vc = TRANSPOSE([[(i MOD dims[0])], [((i / dims[0]) MOD])])
(dims[1]))], [(i / (dims[0] * dims[1]))]])
rc = vc2rc(v0,v1,v2,v3,vc)
print, 'Time: ', STRING(SYSTIME(/SECONDS) - t0)
rc = 0 \& vc = TRANSPOSE([[(i MOD dims[0])], [((i / dims[0]) MOD])])
(dims[1]))], [(i / (dims[0] * dims[1]))]])
t0 = SYSTIME(/SECONDS)
```

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