
Subject: Re: determining the volume of a fitted ellipsoid that sticks out the sides of a polyhedron

Posted by [Dick Jackson](#) on Mon, 01 Oct 2012 18:43:41 GMT

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Hi Ayla,

I don't know of a general polygon mesh intersection routine, but in this case, you may be in luck. The `Mesh_Clip()` function lets you clip a polyhedral mesh using a plane, and since an ellipsoid is convex, you could trim the polyhedron using the plane of each of the ellipsoid's polygons (need to derive the plane coefficients), giving the intersection of the two volumes. Then your answer (the volume of the curved areas that stick out) is found by subtracting the intersection volume from the original polyhedron's volume.

This might be computationally intensive, depending on how finely you want to define the ellipsoid.

There was some discussion of this kind of this (with an example of using `Mesh_Clip`) in the following thread:

<https://groups.google.com/d/topic/comp.lang.idl-pvwave/ilpdC cPN4YU/discussion>

Hope this helps!

Cheers,
-Dick

On Monday, October 1, 2012 9:51:43 AM UTC-7, evi...@gmail.com wrote:

> Hi all,

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> Here's the basic outline of my problem:

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> I want to know how different a given polyhedron is in its shape from an ellipsoid of the same volume. To do this, I've started by fitting a polyhedron to my data, then fit an ellipsoid to the polyhedron, and finally re-scaled the fitted ellipsoid to have the same volume as the polyhedron. Now, I want to determine the volume of the ellipsoid that is "sticking out" from the sides of the polyhedron. Hopefully this makes sense...if not, maybe thinking of a 2D diamond surrounded by a circle will help. I'm looking to determine the volume of the curved areas that stick out from the edges of the diamond (except, in reality, I am using a more complex polyhedron and an ellipsoid).

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> This is where I am stuck. I am thinking there might be some way to use the `intersect` function in `idl` to find the surfaces where the polyhedron and the ellipsoid intersect, but I'm not sure how to then get at the remaining volume outside the polyhedron but still inside the ellipsoid. If you have any thoughts on how I might approach the problem, i'd appreciate your insights!

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> Thanks!
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> Ayla
