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Subject: Re: poly\_fit for less number of points  
Posted by [Heinz Stege](#) on Mon, 06 May 2013 18:02:07 GMT  
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On Sat, 4 May 2013 07:02:57 -0700 (PDT), sid wrote:

> ... But can you please suggest me is there any other fit available to fit this kind of dataset.  
Because I want to get a smoothed fit.

I'm not sure, what you mean with "smoothed fit". I fully agree with Craig, that a polynomial fit of degree 2 is very smooth.

Putting a more detailed look onto your data, I see that the function has to be vary asymmetric to match the data. I guess you tried degree 4 or higher and don't like that wiggles, which are typical for polynomial fits of higher degree.

It would be very helpful to know, if you are looking for a least square fit (which compensates uncertainties within the y values) or a function which interpolates the given points (and goes exactly through the given points).

In any case I think, that it is very risky to draw an arbitrary curve through the points on the right side of the diagram. It would be very helpful, to have a model explaining y vs. x. Can you tell something about the origin of the data?

A "quick and dirty" solution may be a hyperbolic function like  
$$y(t) = (p_0 + p_1 \cdot t + p_2 \cdot t^2) / (t - q_0)$$
where  $p_0$ ,  $p_1$ ,  $p_2$  and  $q_0$  are the (fit-)constants and  $t = x - \text{mean}(x)$ .

Such a non-linear function can be fitted by IDL's `curvefit()` or Craig Markwardt's `mpfit()`. If you want to see the result for your example before doing the fitting stuff, here are my results:  
 $q_0 = 0.311793$ ,  $p_0 = -0.0241749$ ,  $p_1 = 0.0906013$ ,  $p_2 = -0.0602339$

But again, this is very speculative. This is one function, that fits your data. And there may be other functions with other results! Furthermore I would expect, that you have other data examples, where the function above does not work!

Heinz

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