## Subject: Re: Need 2-dimensional Y versus X curve fit routine Posted by thompson on Mon, 14 Jul 1997 07:00:00 GMT

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jmcfee@dres.dnd.ca (John McFee) writes:

- > CURVEFIT in the IDL built-in library which performs a nonlinear fit of a 1-D
- > data vector Y to a function of a 1-D vector X and a parameter vector A. I am
- > looking for a routine similar except that Y and X are two dimensional (time
- > versus depth). CURVEFIT is based on Bevington's CURVFIT (Marguardt's
- > method). I extended a fortran CURVFIT routine to 2-D some years ago, but hate
- > to repeat the effort in IDL. Has anybody got a 2-D version?

If the problem is that of fitting to a scalar field which is a function of two variables, e.g. height as a function of two spatial coordinates, then CURVEFIT as it is currently written should be able to handle it. The trick is to pass in your coordinates as a structure with the elements of the structure being the two coordinates that the variable being fitted is dependent on. Mathematically this would be expressed as

$$Y = F(X1, X2)$$

and in IDL you could define the structure as

```
POS = REPLICATE( {X1: 0.0, X2: 0.0}, N_ELEMENTS(X1) )
POS.X1 = X1
POS.X2 = X2
```

This procedure could be generalized to any number of dimensions.

If instead your problem is that you have two dependent variables which are both related to the same independent variables, e.g.

$$Y1 = F1(X1, X2)$$
  
 $Y2 = F2(X1, X2)$ 

and you want to fit to both variables simultaneously, then you would have to modify CURVEFIT.

If the latter is the case, then one routine that might help is a program I once wrote called AMOEBA\_F. It's based on the algorithm Amoeba outlined in Numerical Recipes. This should work because you pass in the function to be minimized, i.e. your equivalent of chi-squared, insteading of passing the functions F1 and F2.

This routine may call some other routines, which should be available from

ftp://sohoftp.nascom.nasa.gov/solarsoft/gen/idl/fitting/

and parallel directories.

Bill

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PRO AMOEBA\_F,FNAME,PARAM,ACCURACY=ACCURACY,MAX\_ITER=MAX\_ITER, \$ LAMBDA=LAMBDA0,CHISQR=CHISQR,N ITER=ITER,NOPRINT=NOPRINT

;+

Project : SOHO - CDS

Name : AMOEBA\_F

Purpose : Reiteratively minimizes an arbitrary function

Explanation : Minimizes an arbitrary function via a least-squares reiterative technique.

The procedure used is taken from Numerical Recipes.

Use : AMOEBA F, FNAME, PARAM

Inputs: FNAME = Name of function to be minimized (string variable).

PARAM = Parameters of fit. Passed as first guess. Returned as fitted values.

Opt. Inputs: None.

Outputs : PARAM = Parameters of fit. See note above.

Opt. Outputs: None.

Keywords: ACCURACY = Accuracy to cut off at. Defaults to 1E-5.

MAX ITER = Maximum number of reiterations. Defaults to 20.

LAMBDA = Initial step sizes for PARAM, or if scalar then

fraction of PARAM. Defaults to 1E-2.

NOPRINT = If set, then no printout is generated.

CHISQR = Returned value of chi-squared. Only relevant if

ERROR passed explicitly.

N ITER = Number of iterations used.

Calls: None.

Common: None

Restrictions: The user defined function is passed by name as a character string in the variable FNAME. The function must have the form.

Y = F(PARAM)

where PARAM is the vector containing the parameters of the fit.

Unless LAMBDA is passed as an array, the initial guess for PARAM must not contain any zeroes.

Side effects: None.

Category: Utilities, Curve\_Fitting

Prev. Hist.: William Thompson, August, 1989.

William Thompson, June 1991, modified to use keywords.

Written: William Thompson, GSFC, August 1989

Modified: Version 1, William Thompson, GSFC, 9 January 1995

Incorporated into CDS library

Version 2, William Thompson, GSFC, 6 October 1995

Fixed typo.

Version: Version 2, 6 October 1995

ON ERROR,2

Check the number of parameters passed.

IF N\_PARAMS(0) NE 2 THEN BEGIN

PRINT,' This procedure must be called with two parameters:'

PRINT,' FNAME, PARAMS'

**RETURN** 

**ENDIF** 

Set up the default parameters.

ACCUR = 1E-5

IF N\_ELEMENTS(ACCURACY) EQ 1 THEN \$

IF ACCURACY GT 0 THEN ACCUR = ACCURACY

IF N\_ELEMENTS(MAX\_ITER) EQ 1 THEN NMAX = MAX\_ITER ELSE NMAX = 20

LAMBDA = 1E-2

IF N\_ELEMENTS(LAMBDA0) EQ 1 THEN \$

IF LAMBDA0 GT 0 THEN LAMBDA = LAMBDA0

Define NPAR from the input array. Start ITER at zero.

```
NPAR = N ELEMENTS(PARAM)
IF NPAR EQ 1 THEN PARAM = MAKE_ARRAY(PARAM)
ITER = 0
 Check the array or scalar LAMBDA.
NLAMB = N_ELEMENTS(LAMBDA)
IF (NLAMB NE NPAR) AND (NLAMB NE 1) THEN BEGIN
 PRINT, '*** LAMBDA must have 1 or ' + FIX(NPAR) + $
 'elements, routine AMOEBA F.'
 RETURN
ENDIF
 Calculate the array of parameters to start with.
P = PARAM # REPLICATE(1..NPAR+1)
FOR I = 0, NPAR-1 DO BEGIN
 IF NLAMB EQ NPAR THEN P(I,I+1) = PARAM(I) + LAMBDA(I) $
 ELSE P(I,I+1) = PARAM(I) * (1. + LAMBDA)
ENDFOR
 Initialize the array containing chi-squared.
CHI = 0.*[0,PARAM]
FOR I = 0, NPAR DO BEGIN
 TEST = EXECUTE('CHI(I) = ' + FNAME + '(P(*,I))')
ENDFOR
 Print the header.
IF (NMAX GT 0) AND (NOT KEYWORD_SET(NOPRINT)) THEN BEGIN
 PRINT,FORMAT="(1H1,3X,'I',10X,'log',20X,'log',16X,'I')"
 PRINT,FORMAT="(1X,I4,9X,'ERROR',17X,'CHISQR',7X,I9)",NMAX,NMAX
 PRINT,FORMAT="(2X,4(1H-),5X,10(1H-),5X,25(1H-),4X,4(1H-))"
ENDIF
 Starting point for all iterations. Find the highest, next highest, and
 lowest values of CHI.
ITERATE:
ITER = ITER + 1
ILO = 0
IF CHI(0) GT CHI(1) THEN BEGIN
IHI = 0
 INHI = 1
END ELSE BEGIN
 IHI = 1
```

```
INHI = 0
ENDELSE
FOR I = 0, NPAR DO BEGIN
IF CHI(I) LT CHI(ILO) THEN ILO = I
IF CHI(I) GT CHI(IHI) THEN BEGIN
 INHI = IHI
 IHI = I
END ELSE IF (CHI(I) GT CHI(INHI)) AND (I NE IHI) THEN INHI = I
ENDFOR
Find the average of P for all points other than IHI.
PBAR = 0*PARAM
FOR I = 0, NPAR DO IF I NE IHI THEN PBAR = PBAR + P(*,I)
PBAR = PBAR / NPAR
Reflect from the high point through PBAR.
PR = 2*PBAR - P(*,IHI)
TEST = EXECUTE('CR = ' + FNAME + '(PR)')
 If an improvement was achieved, try an additional extrapolation.
IF CR LE CHI(ILO) THEN BEGIN
PRR = 2*PR - PBAR
TEST = EXECUTE('CRR = ' + FNAME + '(PRR)')
 If an additional improvement was achieved, use the second extrapolation.
IF CRR LT CHI(ILO) THEN BEGIN
 P(0.IHI) = PRR
 CHI(IHI) = CRR
 Otherwise use the first extrapolation (reflection).
END ELSE BEGIN
 P(0,IHI) = PR
 CHI(IHI) = CR
ENDELSE
 If the reflection yields a value between the highest value and the next
highest value, use it.
END ELSE IF CR GE CHI(INHI) THEN BEGIN
IF CR LT CHI(IHI) THEN BEGIN
 P(0,IHI) = PR
 CHI(IHI) = CR
ENDIF
```

```
Look for an intermediate lower point. If it's an improvement use it.
PRR = (P(*,IHI) + PBAR) / 2.
TEST = EXECUTE('CRR = ' + FNAME + '(PRR)')
IF CRR LT CHI(IHI) THEN BEGIN
 P(0,IHI) = PRR
 CHI(IHI) = CRR
 Nothing seems to help. Contract about the lowest point.
END ELSE BEGIN
 FOR I = 0,NPAR DO IF I NE ILO THEN BEGIN
 PR = (P(*,I) + P(*,ILO)) / 2.
 P(0,I) = PR
 TEST = EXECUTE('CHI(I) = ' + FNAME + '(PRR)')
 ENDIF
ENDELSE
The reflection yields an intermediate value. Use it.
END ELSE BEGIN
P(0,IHI) = PR
CHI(IHI) = CR
ENDELSE
 Print out the iteration information.
ERROR = TOTAL( (P(*,IHI) - P(*,ILO))^2 / (P(*,IHI)^2 + P(*,ILO)^2))
BANG C = !C
CHI HI = ABS(MAX(CHI))
CHI LO = ABS(MIN(CHI))
I LOW = !C
!C = BANG C
IF ERROR GT 0 THEN ERRORLG = ALOG10(ERROR)/2 ELSE ERRORLG = -999
IF CHI HI GT 0 THEN CHILOG = ALOG10(CHI HI) ELSE CHILOG = -999
IF CHI_LO GT 0 THEN CLOLOG = ALOG10(CHI_LO) ELSE CLOLOG = -999
FORMAT = "(15,3F15.5,18)"
IF NOT KEYWORD_SET(NOPRINT) THEN PRINT, FORMAT=FORMAT, ITER, ERRORLG, $
CHILOG.CLOLOG.ITER
IF (ERROR GT ACCUR^2) AND (ITER LT NMAX) THEN GOTO, ITERATE
The program has either converged or reached its maximum number of
 iterations.
PARAM = P(*,I_LOW)
CHISQR = CHI(I LOW)
END
```