Subject: Re: unwrap modulo 2pi Posted by graham\_wilson on Wed, 07 Feb 2001 15:30:49 GMT

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```
(snip)
>>
>> x = 2*seq(5)
>> y = 2*Pi
>> x=mod(x,y)
>> x=colunmod(x,y)
>> print x
>>
```

- > What are 'seq' and 'colunmod'?
- > It seems you have 1D data. Is it right?
- > In this case you'll find several routine searching on the IDL library
- > on the net.

The 'seq' command simply makes a vector [2,4,6,8,10] and the 'colunmod' function is what I am looking for i.e. a function that will undo/unwrap the function mod(x,y). I have looked for this function on the net as you suggested (Martin's IDL 11 online libraries) but I have yet to find it... Can you be more specific regarding which library or where I should look?

Indeed, I only need the dim 1 case.

Thanks! GW

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Subject: Re: unwrap modulo 2pi Posted by Pavel A. Romashkin on Wed, 07 Feb 2001 17:02:09 GMT View Forum Message <> Reply to Message

I am sorry, but I am still a little behind here, please bear with me. Must be the lack of coffe. What is the "unwrapping of the function mod(x,y)"? I might think of a solution if I knew what I am looking at.

Cheers, Pavel

graham\_wilson@my-deja.com wrote:

> The 'seq' command simply makes a vector [2,4,6,8,10] and the 'colunmod'

- > function is what I am looking for i.e. a function that will undo/unwrap
- > the function mod(x,y). I have looked for this function on the net as
- > you suggested (Martin's IDL 11 online libraries) but I have yet to find
- > it... Can you be more specific regarding which library or where I should
- > look?

>

> Indeed, I only need the dim 1 case.

>

- > Thanks!
- > GW

>

- > Sent via Deja.com
- > http://www.deja.com/

Subject: Re: unwrap modulo 2pi

Posted by graham\_wilson on Wed, 07 Feb 2001 17:52:14 GMT

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My appologies for not being explicit enough...

IDL> a=[2,4,6,8,10,12]

IDL> a=[2.,4.,6.,8.,10.,12.]

IDL> b=2\*!PI

IDL> c=a mod b

IDL> print, c

2.00000 4.00000 6.00000 1.71681 3.71681 5.71681

What I mean by 'unwraping' is: Given I know 'c' and 'b' how do I explicitly find a?

**GW** 

In article <3A817F92.1DBCDCCA@noaa.gov>,

"Pavel A. Romashkin" <pavel.romashkin@noaa.gov> wrote:

- > I am sorry, but I am still a little behind here, please bear with me.
- > Must be the lack of coffe. What is the "unwrapping of the function
- > mod(x,y)" ? I might think of a solution if I knew what I am looking at.

>

- > Cheers,
- > Pavel

Sent via Deja.com http://www.deja.com/ Subject: Re: unwrap modulo 2pi Posted by Dave Greenwood on Wed, 07 Feb 2001 18:29:12 GMT

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graham wilson@my-deja.com wrote: > My appologies for not being explicit enough... > IDL> a=[2,4,6,8,10,12]> IDL> a=[2.,4.,6.,8.,10.,12.] > IDL> b=2\*!PI > IDL> c=a mod b > IDL> print, c 2.00000 4.00000 6.00000 1.71681 3.71681 5.71681 > > What I mean by 'unwraping' is: Given I know 'c' and 'b' how do I > explicitly find a? Surely I must be missing something(?): IDL> print, c + fix(a/b)\*b2.00000 4.00000 6.00000 12.0000 8.00000 10.0000 Dave Dave Greenwood Email: Greenwoodde@ORNL.GOV Oak Ridge National Lab %STD-W-DISCLAIMER, I only speak for myself

Subject: Re: unwrap modulo 2pi Posted by Dave Greenwood on Wed, 07 Feb 2001 18:48:25 GMT View Forum Message <> Reply to Message

### I wrote:

> graham\_wilson@my-deja.com wrote:
>> My appologies for not being explicit enough...
>>
>> IDL> a=[2,4,6,8,10,12]
>> IDL> a=[2.,4.,6.,8.,10.,12.]
>> IDL> b=2\*!PI
>> IDL> c=a mod b
>> IDL> print, c
>> 2.00000 4.00000 6.00000 1.71681 3.71681 5.71681
>>
>> What I mean by 'unwraping' is: Given I know 'c' and 'b' how do I
>> explicitly find a?
>> Surely I must be missing something(?):

> IDL> print, c + fix(a/b)\*b > 2.00000 4.00000 6.00000 8.00000 10.0000 12.0000

And a proverbial ohnosecond later I went - "Oh No!". I guess I better go back to lurking. ;-(

Btw, given that (a mod b) =  $(a+(n*b) \mod b)$  do you expect your 'unwraping' function to give the lowest value of a such that  $c = a \mod b$ ?

Dave

Subject: Re: unwrap modulo 2pi Posted by tam on Wed, 07 Feb 2001 19:18:30 GMT

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Perhaps I'm confused but it seems to me you have a misunderstanding of what the modulo function does. Since you indicate that omatrix has an 'unwrapping' function I figure I'm still missions something...

If  $c = a \mod b$ 

and I have the values of c and b, then all I know about a -- absent any other information -- is that

a element\_of {c + n\*b}

where n ranges over the integers. [Some languages treat modulos of negative numbers differently so we might be restricted to n >= 0). The modulus function by definition gives values that repeat with a cycle length of b, so the easiest solution for an inverse of it is simply the identity function. I.e., taking your fourth example.

8 mod 2\*!pi = 1.71681 but 1.71681 mod 2\*!pi = 1.71681

You've lost information using the mod function and you can get it back...

The one thing I'm guessing is that in omatrix your 'unwrapping' function works on arrays and requires that the value of the array increase monotonically. Presumably the delta's between the array values

are not constant -- or the unwrapping is trivial -- so one is still not guaranteed that the unwrapping proceeds correctly. However in the case where the spacing between array values is never greater than b you should be able to write a relatively simple unwrapping function...

Something like [untested and I've no doubt someone can do it without loops.]:

```
function unwrap, a, modval
     len = n elements(a)
     if (len It 2) then begin; Need to have multiple elements
        b = a
        return, b
     endif
     w = where (a[0:len-2] gt a[1:len-1]); Find the wrapping points
     if (w[0] eq -1) then begin ; If none just return a copy
of input
        b = a
        return, b
     endif
     z = a
                 ; Get a copy of the input
     z[*] = 0
                 : Set all values to nil
     z[w] = modval; Set deltas at wrapping points.
     for i=1, n elements(z)-1 do begin; Loop to add deltas.
       z[i] = z[i] + z[i-1]
     endfor
     return, a + z; Add the deltas back in.
```

Again I note that this inversion of the modulus is possible only given the additional information that the input array was monotonic and had sufficiently small increments. If your additional information is different, then a different inverse may be appropriate (e.g., if you know the input values are integral). In general the function is not invertible.

Regards, Tom McGlynn

end

graham\_wilson@my-deja.com wrote:

```
>
 My appologies for not being explicit enough...
> IDL> a=[2,4,6,8,10,12]
> IDL> a=[2.,4.,6.,8.,10.,12.]
> IDL> b=2*!PI
> IDL> c=a mod b
> IDL> print, c
      2.00000 4.00000 6.00000 1.71681 3.71681 5.71681
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  What I mean by 'unwraping' is: Given I know 'c' and 'b' how do I
  explicitly find a?
>
> GW
> In article <3A817F92.1DBCDCCA@noaa.gov>,
   "Pavel A. Romashkin" <pavel.romashkin@noaa.gov> wrote:
>> I am sorry, but I am still a little behind here, please bear with me.
>> Must be the lack of coffe. What is the "unwrapping of the function"
>> mod(x,y)"? I might think of a solution if I knew what I am looking
> at.
>>
>> Cheers,
>> Pavel
> Sent via Deja.com
> http://www.deja.com/
```

Subject: Re: unwrap modulo 2pi Posted by Randall Skelton on Wed, 07 Feb 2001 19:48:10 GMT View Forum Message <> Reply to Message

# Modulo Operator Notes

quotient: q = a/bremainder:  $r = a \mod b$ So, a/b a mod b b а 10 3 3 1

0

-3

3

-1

It is \*always\* true that  $a = q^*b + r$  with abs(r) < abs(b) and b neq 0

## Randall

10

3 -10 -3

```
graham_wilson@my-deja.com wrote:

> My appologies for not being explicit enough...

> IDL> a=[2,4,6,8,10,12]

> IDL> a=[2.,4.,6.,8.,10.,12.]

> IDL> b=2*!PI

> IDL> c=a mod b

> IDL> print, c

> 2.00000 4.00000 6.00000 1.71681 3.71681 5.71681

> What I mean by 'unwraping' is: Given I know 'c' and 'b' how do I > explicitly find a?
```

```
Subject: Re: unwrap modulo 2pi
Posted by Pavel A. Romashkin on Wed, 07 Feb 2001 20:39:11 GMT
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```

I just don't see that you can do this at all. Modulo operator discards information about the number of multiples of B from A, leaving only the remainder of the division operation. For example, if:

```
c = [2., 4., 6., 1.71681, 3.71681, 5.71681]
b = 2*!PI
; Each of the following A will produce the given
; C through "C=A mod B" :
a=[2.,4.,6.,8.,10.,12.]
a=[2.,4.,6.,8.,10.,12.] + b
a=[2.,4.,6.,8.,10.,12.] + 2*b
a=[2.,4.,6.,8.,10.,12.] & a[3:5] = a[3:5] + 3*b
```

Unless I am missing something, I see no way how a unique solution can be obtained from the \*remainder of division\* and \*divisor\*. But I studied arithmetics a long time ago :-)

Cheers,
Pavel

graham\_wilson@my-deja.com wrote:
>

My appologies for not being explicit enough...

> IDL> a=[2,4,6,8,10,12]

```
> IDL> a=[2.,4.,6.,8.,10.,12.]
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>
> In article <3A817F92.1DBCDCCA@noaa.gov>,
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>> mod(x,y)"? I might think of a solution if I knew what I am looking
> at.
>>
>> Cheers.
>> Pavel
> Sent via Deja.com
> http://www.deja.com/
```

Subject: Re: unwrap modulo 2pi Posted by Craig Markwardt on Wed, 07 Feb 2001 21:07:03 GMT View Forum Message <> Reply to Message

"Pavel A. Romashkin" <pavel.romashkin@noaa.gov> writes:

- > I just don't see that you can do this at all. Modulo operator discards
- > information about the number of multiples of B from A, leaving only the
- remainder of the division operation. For example, if:

> ... deleted ...

>

- > Unless I am missing something, I see no way how a unique solution can be
- > obtained from the \*remainder of division\* and \*divisor\*. But I studied
- > arithmetics a long time ago :-)

Pavel, and others--

He is looking for an algorithm that can \*reconstruct\* the full number. Of course this will use local information from the surrounding points.

His example is perhaps a little too simple. Try this one:

```
ph = findgen(100)
ph1 = atan(sin(ph), cos(ph))
```

Now, PH and PH1 represent the same phase angle on the circle, but PH1 has the disadvantage of being a discontinuous sawtooth function. Sometimes you want to reconstruct PH based only on knowledge of PH1. Assuming that the function is nearly monotonic and there is never a phase jump more than !dpi, I believe this can be done.

The naive solution (which I've never gotten beyond) is to look for discontinuities in PH1 of (say) more than !dpi. When such a discontinuity is found, assume we have wound around once, so add another 2\*!dpi to the number.

Craig

Craig B. Markwardt, Ph.D. EMAIL: craigmnet@cow.physics.wisc.edu Astrophysics, IDL, Finance, Derivatives | Remove "net" for better response

.....

Subject: Re: unwrap modulo 2pi

Posted by Pavel A. Romashkin on Wed, 07 Feb 2001 23:25:37 GMT

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Craig Markwardt wrote:

- > Now, PH and PH1 represent the same phase angle on the circle, but PH1
- > has the disadvantage of being a discontinuous sawtooth function.
- > Sometimes you want to reconstruct PH based only on knowledge of PH1.
- > Assuming that the function is nearly monotonic and there is never a
- > phase jump more than !dpi, I believe this can be done.

Far beyond my primitive computational abilities :-(

Pavel

Subject: Re: unwrap modulo 2pi

Posted by Wim Bouwman on Thu, 08 Feb 2001 09:13:28 GMT

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In the following bit of code the measured phase P is unwrapped onto CALCPhi.

This is done by doing a 2nd order extrapolation of the three previous

points. It works when the jumps are not too extreme.

;Correct Phi and PhiOne for 2Pi jumps. The calculated Phi is compared to ;the experimentally obtained Phi. Extrapolation with least squares fit. NPhi=N\_ELEMENTS(P)
CALCphi=DBLARR(NPhi)
FOR i=3,(NPhi-1) DO BEGIN
CALCphi(i)=(-2\*P(i-3)+P(i-2)+4\*P(i-1))/3
Njumps=NINT((CALCphi(i)-P(i))/(2\*!DPi), /Long)
P(i)=P(i)+Njumps\*2\*!DPi
ENDFOR

graham\_wilson@my-deja.com wrote:

- > IDL> a=[2,4,6,8,10,12]
- > IDL> a=[2.,4.,6.,8.,10.,12.]
- > IDL> b=2\*!PI
- > IDL> c=a mod b
- > IDL> print, c
- > 2.00000 4.00000 6.00000 1.71681 3.71681 5.71681

>

- > What I mean by 'unwraping' is: Given I know 'c' and 'b' how do I
- > explicitly find a?

--

Dr. Wim G. Bouwman phone (++31) (0)15 2786775
Interfacultair Reactor Instituut fax (++31) (0)15 2788303
Technische universiteit Delft w.g.bouwman@iri.tudelft.nl
Mekelweg 15 http://www.iri.tudelft.nl/~bouwman

2629 JB Delft The Netherlands

Subject: Re: unwrap modulo 2pi Posted by Craig Markwardt on Thu, 08 Feb 2001 15:43:20 GMT View Forum Message <> Reply to Message

"Wim G. Bouwman" <w.g.bouwman@iri.tudelft.nl> writes:

- > Dear Graham.
- > The function is written in PV-WAVE and NINT is a standard function giving
- > the integer value as a long. I am sure that something similar does exist
- > in IDL.
- > In PV-WAVE you have also FIX, which returns the integer value as an
- > integer.

Just curious, how does NINT do the rounding? In IDL there are FLOOR, CEIL and ROUND which have well-behaved rounding properties (round up,

down and to-nearest, respectively). The well-known LONG function is not consistent depending on the sign of its argument.

$\sim$	
ι,	raia
v	ıaıu

--

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Craig B. Markwardt, Ph.D. EMAIL: craigmnet@cow.physics.wisc.edu Astrophysics, IDL, Finance, Derivatives | Remove "net" for better response

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Subject: Re: unwrap modulo 2pi Posted by Wim Bouwman on Fri, 09 Feb 2001 08:42:43 GMT View Forum Message <> Reply to Message

- > Just curious, how does NINT do the rounding? In IDL there are FLOOR,
- > CEIL and ROUND which have well-behaved rounding properties (round up,
- > down and to-nearest, respectively). The well-known LONG function is
- > not consistent depending on the sign of its argument.

A copy of the NINT-page of the pv-wave manual:

#### NINT

Converts input to the nearest integer.

# Usage

result = NINT(x)

### **Input Parameters**

x : A scalar or array of any PV-WAVE variable type, usually float or double.

### **Keywords**

Long: If present and non-zero, NINT returns a long instead of a short (FIX) integer.

### Returned Value

result: The nearest integer to the input value.

### Discussion

Instead of truncating the input (as FIX does), first the input is rounded by adding or subtracting 0.5 (depending on whether the input is greater or less than zero), and then it is truncated.

If the input is out of the range of integers (for example, if you pass in 1.0d33), an error message will result and NINT returns garbage. Add i¿1/20.5 to the input and convert that to a short integer using FIX. If the Long keyword is used, it's converted via long. If the input is a FIX, then it's just passed back. If it's a long, it's also passed back. Strings are converted

to bytes before the rounding. In the case of complex values, their magnitude is taken. Structures are not allowed.

--

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