Subject: Re: Matrix filling methods?

Posted by sit on Fri, 19 Aug 1994 10:33:38 GMT

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```
Andy Nicholas (nicholas@dsuap1) wrote:
```

:

I'm trying to speed up some code and hence I am trying to get rid of some FOR loops. I need to fill a 2-d square matrix. The values above the diagonal are given by one formula while those values below the diagonal are given

by another. this is how i currently fill the matrix:

```
for i=0,n-1 do begin
Matrix(i:*,i-1) = x(i-1)/x(k:*)
Matrix(i-1,i:*) = y(k:*)/y(k-1)
endfor
diag=findgen(n)
Matrix(diag,diag)=z(diag)
```

Does anyone know of a way to speed this up? Maybe a where to find the matrix elements above the diagonal and one for below?

Any help is greatly appreciated,

Thanks, Andv

nicholas.uap.nrl.navy.mil

.

This should be no problem provied you have enough memory for several arrays of size n. Here is the way I'd do it:

```
I = lindgen(n,n)
Ic = I mod n
Ir = I / n

upper = Ic gt Ir
Iower = Ic It Ir

Matrix = fltarr(n,n)
matrix(upper) = ...
matrix(lower) = ...

If you need to include the diagonal then just replace gt or It with ge or Ie

James Tappin, School of Physics & Space Research
University of Birmingham
```

sjt@xun8.sr.bham.ac.uk

"If all else fails--read the instructions!"

```
O___
```

Subject: Re: Matrix filling methods?
Posted by steinhh on Fri, 19 Aug 1994 14:26:41 GMT
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```
In article <3321q2$p23@sun4.bham.ac.uk>, sjt@xun8.sr.bham.ac.uk (James Tappin) writes:
|> Andy Nicholas (nicholas@dsuap1) wrote:
[..snip..]
|> :
              for i=0,n-1 do begin
                   Matrix(i:*,i-1) = x(i-1)/x(k:*)
|> :
                   Matrix(i-1,i:*) = y(k:*)/y(k-1)
|>:
              endfor
|> :
              diag=findgen(n)
l> :
|>:
              Matrix(diag,diag)=z(diag)
|>
         Does anyone know of a way to speed this up? Maybe a where to find the
l> :
         matrix elements above the diagonal and one for below?
l> :
                   Any help is greatly appreciated,
l> :
                              Thanks,
|>:
l> :
                                   Andv
                                   nicholas.uap.nrl.navy.mil
|>:
|>:
> This should be no problem provied you have enough memory for several
> arrays of size n. Here is the way I'd do it:
|>
|> 1 = lindgen(n,n)
|> lc = l \mod n
l > lr = l/n
|> upper = lc gt lr
|> lower = Ic It Ir
|>
|> Matrix = fltarr(n,n)
|> matrix(upper) = ...
|> matrix(lower) = ...
|>
|> If you need to include the diagonal then just replace gt or It with ge or le
[..snip..]
```

Ahm, wouldn't the correct use of upper and lower be:

matrix = <upper-expression>*upper + <lower-expression>*lower

The lc gt lr instruction yields a matrix with zeros and ones, so I wouldn't use it as index without also using where() around it...

Anyway, I think the multiplication method is faster -- IDL is not very bright when it comes to optimizing memory shuffling when you use array indexes as in matrix(where(upper)) =

This is performed by a relatively complex loop inside IDL, calculating the destination address for each element, instead of swoshing the whole thing at once.

Stein Vidar