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Subject: Re: modulo reset

Posted by [Wayne Landsman](#) on Tue, 23 Nov 2004 15:52:53 GMT

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Ralf Schaa wrote:

- > I'm reading out some binary data and the description says this about a
- > data field :
- >
- > in the case of a modulo reset add  $2^{32}$
- >
- > What is this about? googling for "modulo reset" didn't get me far;
- > I only imagine that I need some kind of overflow to get things fixed,
- > but it is very unclear to me what is happening and why ...

Well, my first guess is that you are working with unsigned 32bit integers which have a maximum value of  $2^{32}-1$ , and then resets to zero.

```
STIS>print,2UL^31,2UL^32
2147483648      0
```

The easiest way to correct for this reset would be to use 64 bit integers

```
data = ulong64(datafield) + 2ULL^32
```

A less likely possiblity is that "modulo reset" refers to a 32bit checksum, e.g. as implemented in <http://idlastro.gsfc.nasa.gov/ftp/pro/misc/checksum32.pro> which includes links to more documentation.

Good Luck, --Wayne Landsman

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Subject: Re: modulo reset

Posted by [Ralf Schaa](#) on Tue, 23 Nov 2004 16:39:58 GMT

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Wayne Landsman wrote:

- > Ralf Schaa wrote:
- >
- >> I'm reading out some binary data and the description says this about a
- >> data field :
- >>
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- >> What is this about? googling for "modulo reset" didn't get me far;
- >> I only imagine that I need some kind of overflow to get things fixed,
- >> but it is very unclear to me what is happening and why ...
- >

>  
> Well, my first guess is that you are working with unsigned 32bit  
> integers which have a maximum value of  $2^{32}-1$ , and then resets to zero.  
>  
> STIS>print,2UL^31,2UL^32  
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> The easiest way to correct for this reset would be to use 64 bit integers  
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> A less likely possibility is that "modulo reset" refers to a 32bit  
> checksum, e.g. as implemented in  
> <http://idlastro.gsfc.nasa.gov/ftp/pro/misc/checksum32.pro>  
> which includes links to more documentation.

thanks wayne,

but the problem is this:

I am reading binary data (not longer than 32 bit, and I store it in ULL as suggested) and the 'modulo reset' I talked about may appear at one datafield: that is in an accumulated "Doppler" cycle count.

By differentiating with respect to time, one can get the true doppler count.

Than the documentation says, when a modula reset occurs , add  $2^{32}$ .

I think, this means when the counter is full and is starting with zero again. than add the  $2^{32}$ . But I don't see what adding  $2^{32}$  exactly would do ...

further suggestions?

-Ralf

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Subject: Re: modulo reset

Posted by [James Kuyper](#) on Tue, 23 Nov 2004 18:51:30 GMT

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Ralf Schaa wrote:

...

> I am reading binary data (not longer than 32 bit, and I store it in ULL  
> as suggested)  
> and the 'modulo reset' I talked about may appear at one datafield: that  
> is in an accumulated  
> "Doppler" cycle count.  
> By differentiating with respect to time, one can get the true doppler  
> count.

"Differencing", not "Differentiating". You differentiate a continuous

function of time. For a discontinuously sampled function, you can't differentiate, you can only calculate finite differences.

- > Than the documentation says, when a modula reset occurs , add  $2^{32}$ .
- > I think, this means when the counter is full and is starting with zero
- > again. than add the  $2^{32}$ .
- > But I don't see what adding  $2^{32}$  exactly would do ...

Let's assume that the current cycle count is  $t_0=2^{32}-5$ . 20 cyles later the true count would be  $2^{32}+15$ . However, because it reset at  $2^{32}$ , the actual number in the cycle count would be  $t_1=15$ . If you calculate the time difference as  $dt = t_1-t_2$  while storing the value in, for instance, a 64 byte integer or floating point type, then the dt will be  $15-(2^{32}-5) = 20-2^{32}$ . To get the correct number of cycles, you have to add in  $2^{32}$ , leaving you with  $dt = 20$ .

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