
Subject: modulo reset

Posted by [Ralf Schaa](#) on Tue, 23 Nov 2004 12:19:43 GMT

[View Forum Message](#) <> [Reply to Message](#)

Hi there,

I'm reading out some binary data and the description says this about a data field :

in the case of a modulo reset add 2^{32}

What is this about? googling for "modulo reset" didn't get me far;
I only imagine that I need some kind of overflow to get things fixed,
but it is very unclear to me what is happening and why ...

and how to do it with IDL, i tried
`long(datafield + 2d^32d) = data`
which doesn't seem right ...

thanks,
-Ralf

Subject: Re: modulo reset

Posted by [MKatz843](#) on Tue, 23 Nov 2004 17:45:42 GMT

[View Forum Message](#) <> [Reply to Message](#)

Ralf Schaa wrote in message news:<cnv951\$kfcs\$1@newsreader2.netcologne.de>...

> Hi there,

>

> I'm reading out some binary data and the description says this about a data field :

>

> in the case of a modulo reset add 2^{32}

This seems like an "unwrapping" problem.

If your data is (relatively) slowly varying, you could interpret any
discrete jump of more than 2^{31} as having come from a "modulo reset"
to use their terminology, which I'm guessing I understand.

For example, if the data were modulo 16 (2^4) then a series that looks
like this

1, 3, 5, 7, 9, 11, 13, 15, 1, 3, 5 might actually be

1, 3, 5, 7, 9, 11, 13, 15, 17, 19, 21

Here, where a jump of larger than 8 was detected, add (or subtract as
the case may be) 16 to restore "continuity."

M.

Subject: Re: modulo reset

Posted by [Ralf Schaa](#) on Tue, 23 Nov 2004 19:36:59 GMT

[View Forum Message](#) <> [Reply to Message](#)

James Kuyper wrote:

> Ralf Schaa wrote:

> ...

>

>> I am reading binary data (not longer than 32 bit, and I store it in

>> ULL as suggested)

>> and the 'modulo reset' I talked about may appear at one datafield:

>> that is in an accumulated

>> "Doppler" cycle count.

>> By differentiating with respect to time, one can get the true doppler

>> count.

>

>

> "Differencing", not "Differentiating". You differentiate a continuous

> function of time. For a discontinuously sampled function, you can't

> differentiate, you can only calculate finite differences.

yep, of course

>> Than the documentation says, when a modula reset occurs , add 2^{32} .

>> I think, this means when the counter is full and is starting with zero

>> again. than add the 2^{32} .

>> But I don't see what adding 2^{32} exactly would do ...

>

>

> Let's assume that the current cycle count is $t_0=2^{32}-5$. 20 cyles later

> the true count would be $2^{32}+15$. However, because it reset at 2^{32} , the

> actual number in the cycle count would be $t_1=15$. If you calculate the

> time difference as $dt = t_1-t_2$ while storing the value in, for instance,

> a 64 byte integer or floating point type, then the dt will be

> $15-(2^{32}-5) = 20-2^{32}$. To get the correct number of cycles, you have to

> add in 2^{32} , leaving you with $dt = 20$.

sounds good, i'll try that.

thanks
