
Subject: Re: Matrix algebra and index order, A # B vs A ## B
Posted by [David Fanning](#) on Mon, 26 Mar 2012 13:00:05 GMT
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Mats Löfdahl writes:

- > IDL has two operators for matrix multiplication, # and ##.
- > The former assumes the matrices involved have column number as
- > the first index and row number as the second, i.e., $A_{\{rc\}} =$
- > $A[c,r]$ with mathematics on the LHS and IDL on the RHS. The
- > latter operator makes the opposite assumption, $A_{\{rc\}} = A[r,c]$.
- >
- > I believe much headache can be avoided if one chooses one
- > notation and sticks with it. If it were only me, I'd choose
- > the $A_{\{rc\}} = A[r,c]$ notation. But it isn't only me, because
- > I like to take advantage of IDL routines written by others.
- > So, has there merged some kind of consensus among influential
- > IDL programmers (those that write publicly available
- > routines that are widely used - thank you BTW!) for
- > which convention to use?

Yes, the consensus that has emerged is that no operation is more fraught with ambiguity, anguish, and frustration than trying to translate a section of linear algebra code from a paper or textbook (say on Principle Components Analysis) to IDL than almost anything you can imagine! It's like practicing backwards writing in the mirror.

And, of course, while you are doing it you have the growing realization that there is no freaking way you are EVER going to be able to write the on-line documentation to explain this dog's dish of a program to anyone else. :-(

The solution, of course, is to stick with the ## notation for as long as it makes sense, then throw in a couple of # signs whenever needed to make the math come out right. :-)

Cheers,

David

--

David Fanning, Ph.D.
Fanning Software Consulting, Inc.
Coyote's Guide to IDL Programming: <http://www.idlcoyote.com/>

Sepore ma de ni thui. ("Perhaps thou speakest truth.")

Subject: Re: Matrix algebra and index order, A # B vs A ## B
Posted by on Mon, 26 Mar 2012 13:45:51 GMT
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On Monday, March 26, 2012 3:00:05 PM UTC+2, David Fanning wrote:

> Mats Löfdahl writes:

>

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> in a couple of # signs whenever needed to make the
> math come out right. :-)

It's that bad? :o)

One thing that had me wondering is the documentation for Craig Markwardt's qrfac routine:

; Given an MxN matrix A (M>N), the procedure QRFAC computes the QR
; decomposition (factorization) of A. This factorization is useful
; in least squares applications solving the equation, $A \# x = B$.
; Together with the procedure QRSOLV, this equation can be solved in
; a least squares sense.
;
; The QR factorization produces two matrices, Q and R, such that
;
; $A = Q \## R$
;
; where Q is orthogonal such that $\text{TRANSPOSE}(Q)\##Q$ equals the identity
; matrix, and R is upper triangular.

The $\##$ operator for the matrix-matrix multiplications but $\#$ for matrix-vector multiplication! But then I thought this might be IDL 1D arrays being interpreted as row vectors so $x \# A$ is actually just another way of writing $A \## \text{transpose}(x)$. And the former would be more efficient. Am I on the right track here...?

Subject: Re: Matrix algebra and index order, $A \# B$ vs $A \## B$
Posted by [mort.canty](#) on Tue, 27 Mar 2012 16:01:47 GMT
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On 26 Mrz., 15:00, David Fanning <n...@idlcoyote.com> wrote:

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Amen. I've been playing with the idea of a new edition of my book with both IDL *and* Python coding examples. If it doesn't appear, either I've dropped the idea or you can look for me in an Asylum for the column-major/row-major insane.

Mort