
Subject: SVDC procedure

Posted by [g.nacarts](#) on Mon, 14 Apr 2014 09:54:00 GMT

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Does SVDC procedure works for under determined systems? I tried to solve my system but I ended up with negative value and it supposed to be all positive.

Here are my matrices:

A= [[21, 10, 6], [1,1,1]]

SVDC

b= [[570], [8070]]

Subject: Re: SVDC procedure

Posted by [Craig Markwardt](#) on Tue, 15 Apr 2014 18:47:55 GMT

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On Monday, April 14, 2014 5:54:00 AM UTC-4, g.na...@gmail.com wrote:

> Does SVDC procedure works for under determined systems? I tried to solve my system but I ended up with negative value and it supposed to be all positive.

>

> Here are my matrices:

>

> A= [[21, 10, 6], [1,1,1]]

>

> b= [[570], [8070]]

Which value was negative? When I run

SVDC, A, w, u, v

then I get,

W = 24.0702 0.790450 -0.00000

None of those values is "negative." (-0 is still equal to zero) For an under-determined system one should expect some zero singular values.

Craig

Subject: Re: SVDC procedure

Posted by [g.nacarts](#) on Wed, 16 Apr 2014 11:07:13 GMT

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On Monday, 14 April 2014 10:54:00 UTC+1, g.na...@gmail.com wrote:

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Subject: Re: SVDC procedure
Posted by [g.nacarts](#) on Wed, 16 Apr 2014 11:09:00 GMT
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I don't mean the singular values. My final answer include a negative value.

Subject: Re: SVDC procedure
Posted by [g.nacarts](#) on Wed, 16 Apr 2014 11:10:54 GMT
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I don't mean the singular values. My final answer include a negative number.

Subject: Re: SVDC procedure
Posted by [Craig Markwardt](#) on Wed, 16 Apr 2014 18:51:52 GMT
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On Wednesday, April 16, 2014 7:09:00 AM UTC-4, g.na...@gmail.com wrote:
> I don't mean the singular values. My final answer include a negative value.

What final answer? I verified that in your printed example, $u \cdot \text{diag}(w) \cdot \text{transpose}(v)$ gives back the original A matrix. The matrices U and V are orthogonal as required. I don't see what else is required.

Craig

Subject: Re: SVDC procedure

Posted by on Wed, 16 Apr 2014 21:11:37 GMT

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Den onsdagen den 16:e april 2014 kl. 13:09:00 UTC+2 skrev g.na...@gmail.com:

> I don't mean the singular values. My final answer include a negative value.

You do know that an under determined system has an infinite number of solutions? If you don't like the one you've got, pick another...
