
Subject: rot and poly_2d question

Posted by [Helder Marchetto](#) on Mon, 10 Aug 2015 16:52:59 GMT

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Hi,

I've been using rot() since ages and I would like to understand the use of this function a bit more. Rot uses poly_2d to rotate images. To do that, the 2 times 4 coefficients of the equations are calculated:

$$\begin{aligned}x' &= P0 + P1*x + P2*y + P3*x*y \\ y' &= Q0 + Q1*x + Q2*y + Q3*x*y\end{aligned}$$

In the case of rot(), the coefficients are quite complicated. I have expressed them using LaTeX here: <http://idl.marchetto.de/rot-transformation-coefficients/>

I now come to the question... how were these coefficients calculated in the first place? I would have expected them to be something like this:

$$\begin{aligned}x' &= \text{translationX} + M*\cos(\text{theta})*x - M*\sin(\text{theta})*y + 0*x*y \\ y' &= \text{translationY} + M*\sin(\text{theta})*x + M*\cos(\text{theta})*y + 0*x*y\end{aligned}$$

[I omitted here the magnification for simplicity]

Can someone who understands the math explain me why the two are different?

Seeing it from another point of view, given an affine transformation matrix as a result of translation+scaling+rot matrix (T*S*R):

$$\begin{vmatrix} M*\cos(\text{theta}) & -M*\sin(\text{theta}) & 0 \\ M*\sin(\text{theta}) & M*\cos(\text{theta}) & 0 \\ \text{tr_x} & \text{tr_y} & 1 \end{vmatrix}$$

where tr_x and tr_y are:

$$\begin{aligned}\text{tr_x} &= \text{tx} M \cos(\text{theta}) + \text{ty} M \sin(\text{theta}) \\ \text{tr_y} &= -\text{tx} M \sin(\text{theta}) + \text{ty} M \cos(\text{theta})\end{aligned}$$

(the matrix is also shown in the link)

How can I relate the above matrix to the equations for x' and y'?

Since an explanation is toooooo long, I would really be happy if you could point me to some good resource (internet or book) to grasp these things a bit better.

Thanks,
Helder

PS: I know of polywarp, but that is rather to determine coefficients when these cannot be calculated (here they should be pretty simple/straight forward).
