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Subject: Re: Curve Fitting Question

Posted by [korpela](#) on Tue, 14 Sep 1993 19:27:56 GMT

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In article <1993Sep14.100111.1@aurora.alaska.edu> ftdwh@aurora.alaska.edu writes:

>  
> The question I have is how to properly use the curvefit routine to fit a  
> function that I am defining. It is as follows:  
>  
>  $mclat = A1 + A2 \cdot \cos(mlt + A3) + A4 \cdot \cos(2 \cdot mlt + 2 \cdot A5) + A6 \cdot \cos(3 \cdot mlt + 3 \cdot A7)$   
>  
> where mclat is the magnetic co-latitude, mlt is an angular representation of  
> the magnetic local time. (This is a Fourier fit)  
>  
> I have in my data set the mclat and mlt, but I want to find the coefficients  
> A1-A7. Can I do this using the fitting routine in IDL? If I can, what are the  
> steps I need to follow? (As with most manuals they seem to be written for  
> somebody who already knows what they are doing. Along that train of thought  
> can any body recommend a book that might help those of us not fully  
> knowledgeable in IDL)  
>

In order to use the curvefit routine you need to make your own procedure  
that returns mclat and if required the partial derivatives  
of mclat with respect to the coefficients A1-7. (a(0:6) in idl)

You can find out about a lot of this stuff by reading the actual curvefit  
routine. (generally in the \$IDL\_DIR/lib/userlib directory)

Here's an example below. Extract the following into two files then  
.run mclatfunc. You should then be able to

```
a=[a0,a1,a2,a3,a4,a5,a6] ;first guess of parameters
plot,mltdata,mclatdata ; these are the data you are trying to fit to
mclatfit=curvefit(mltdata,mclatdata,weight,a,sigmaa,FUNCTION_NAME= "mclatfunc")
```

That's all there is to it. I haven't compiled the stuff below, so  
beware syntax errors. Depending upon how screwy this function is,  
you may need to change the value of dg. Your first guess can also  
be important. If you don't like to see how it's doing you can remove  
the plot and oplot statements.

```
; file mclat.pro -----
; E. Korpela 9/14/93
Function mclat,mlt,a,pder

; calculate function
```

```

mclat1=a(0)+a(1)*cos(mlt+a(2))+a(3)*cos(2.*mlt+2.*a(4))+a(5) *cos(3.*mlt+3*a(6))
; if necessary calculate partial derrivitives
dg=1.e-5
; dg may need to be larger or smaller or may need different values for each
; coefficient. You'll have to experiment.
if n_params() eq 3 then begin
  szx=size(mlt)
  pder=fltarr(szx(1),7)
  for i=0,6 do begin
    da=a*0.
    da(i)=dg
    pder(*,i)=(mclat(mlt,a+da)-mclat1)/da(i)
  endfor
endif
return,mclat1
end
; end mclat.pro -----

; file mclatfunct.pro -----
; E. Korpela 9/14/93
pro mclatfunct,x,a,y,pder
; who's bright idea at RSI was it to call these procedures functions?

case n_params() of
  3:  y=mclat(x,a)
  4:  y=mclat(x,a,pder)
else:  print,'Function call screwup!!!'
endcase
print,'Evaluating Function'
print,'a= ',a
if !d.name ne 'PS' then oplot,x,y
return
end
; end mclatfunct.pro -----

```

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Eric Korpela          | The two most common things in the
korpela@ssl.berkeley.edu | universe are Hydrogen and stupidity.
                        | -Harlan Ellison

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Subject: Re: Curve Fitting Question  
 Posted by [perry](#) on Tue, 14 Sep 1993 21:26:17 GMT  
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In article <1993Sep14.100111.1@aurora.alaska.edu>, ftdwh@aurora.alaska.edu writes:

|> The question I have is how to properly use the curvefit routine to fit a  
|> function that I am defining. It is as follows:  
|>  
|>  $mclat = A1 + A2*\cos(mlt + A3) + A4*\cos(2*mlt + 2*A5) + A6*\cos(3*mlt + 3*A7)$   
|>  
|> where mclat is the magnetic co-latitude, mlt is an angular representation of  
|> the magnetic local time.(This is a Fourier fit)

It should be pointed out that this problem can be recast as one that is linear  
in all the fitted parameters, and thus, much easier to handle. In particular,

$$mclat = B1 + B2*\cos(mlt) + B3*\sin(mlt) + B4*\cos(2*mlt) + B5*\sin(2*mlt) + B6*\cos(3*mlt) + B7*\sin(3*mlt)$$

where  $B1 = A1$ ,  $B2 = A2*\cos(A3)$ ,  $B3 = -A2*\sin(A3)$ , and so on.

You solve for  $B1, \dots, B7$  using a linear least squares fit and  
then obtain  $A1, \dots, A7$  from the B parameters using the defining relations.

It is generally fairly straightforward to construct the relevant matrix for  
solving for the fitted parameters and then using one of the IDL routines  
to solve for them (SVD and SVBKSB preferable, but there are simpler methods;  
which is best depends on the specifics of your problem)

|>  
|> I have in my data set the mclat and mlt, but I want to find the coefficients  
|>  $A1-A7$ . Can I do this using the fitting routine in IDL? If I can, what are the  
|> steps I need to follow? (As with most manuals they seem to be written for  
|> somebody who already knows what they are doing. Along that train of thought  
|> can any body recommend a book that might help those of us not fully  
|> knowledgeable in IDL)  
|>

I'm not quite sure if you are saying that you are not knowledgeable about IDL  
or fitting methods or both. If it is the fitting methods you are not sure  
about, you do need to learn more. It is very easy to get wrong results with  
fitting routines if you do not know what you are doing. This is especially  
true when dealing with many fitted parameters and nonlinear least squares fits.  
Numerical Recipes in FORTRAN (also versions for C and Pascal, I believe) by  
Press, Teukolsky, Vetterling, and Flannery is popular and should serve as a  
good introduction (though it has some detractors among the experts).

Perry Greenfield (perry @stsci.edu)

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